

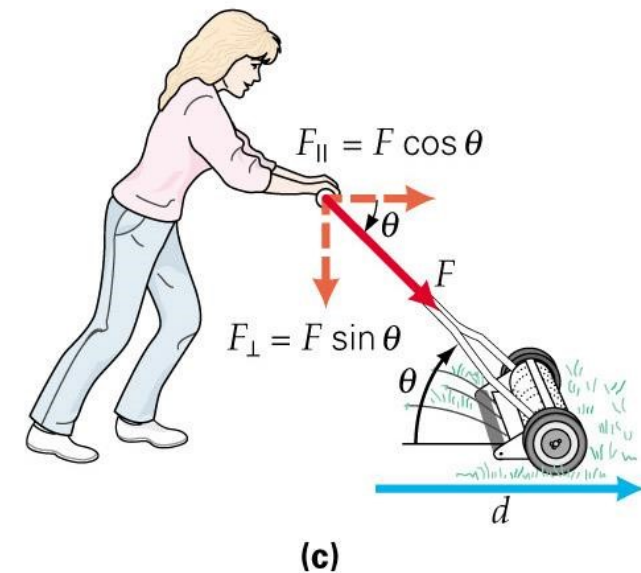
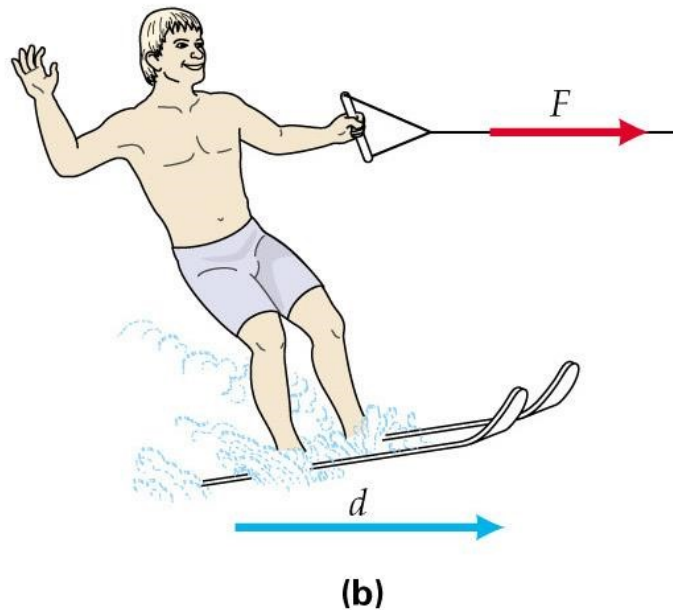
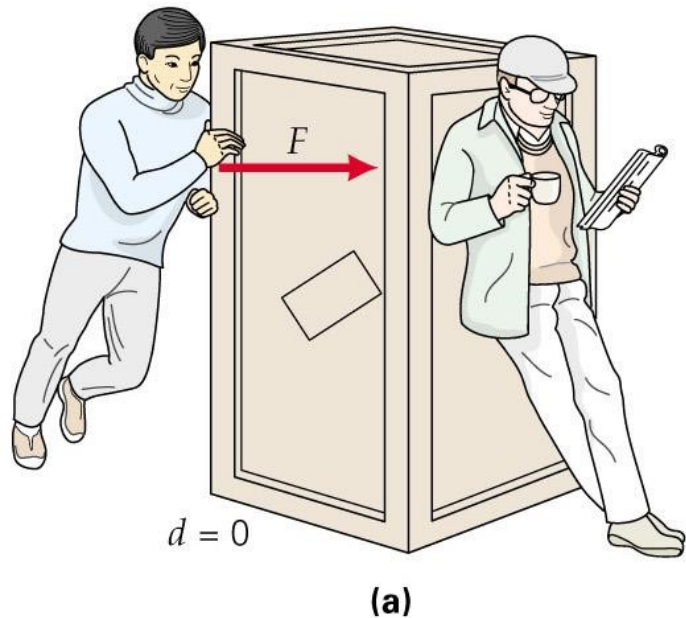
AP Physics 1 Review Session 2

Work, Energy, Power, Impulse,
Momentum, Collisions

WORK

In order for work to be done, three things are necessary:

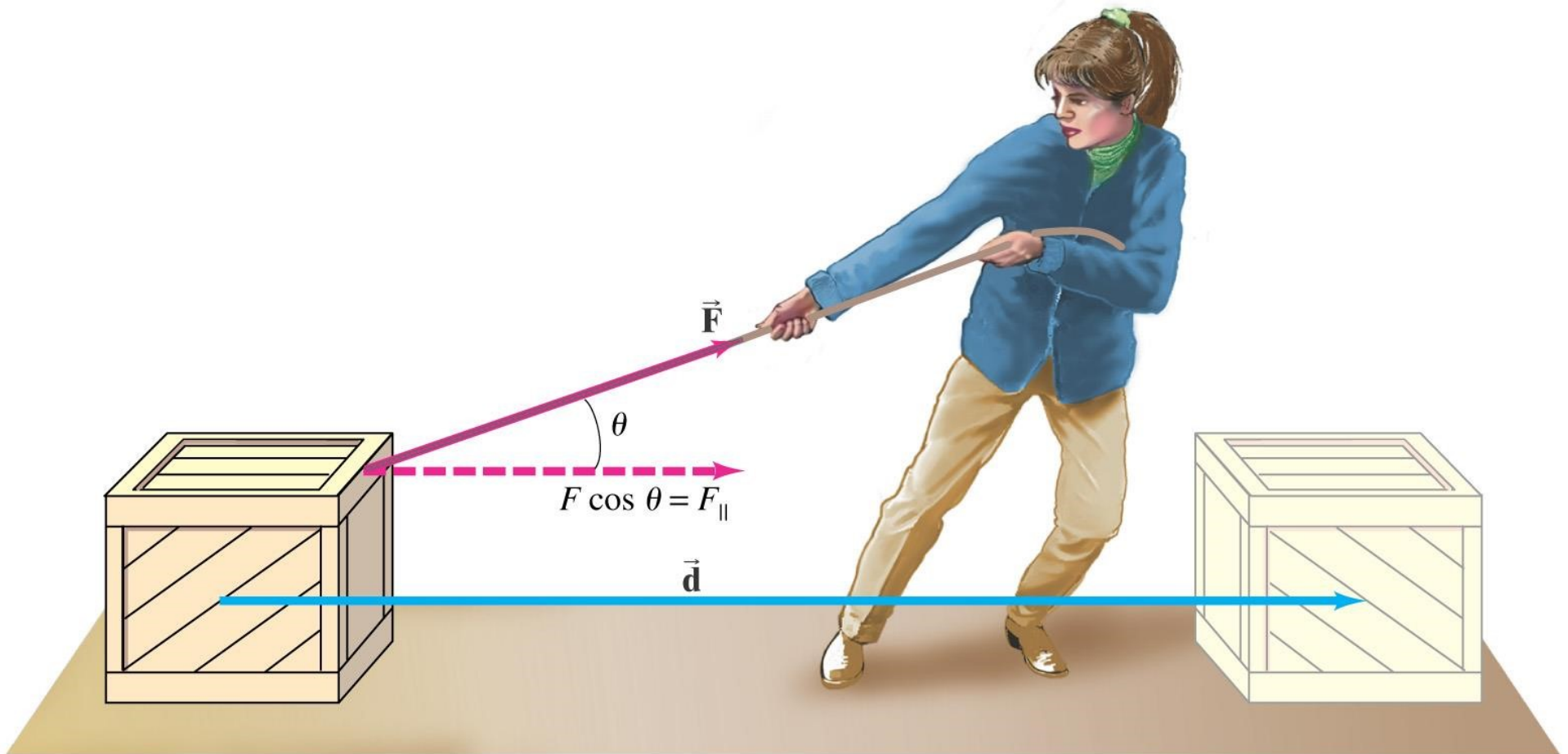
- There must be an applied force.
- The force must act through a certain distance, called the displacement.
- The force must have a component along the displacement.

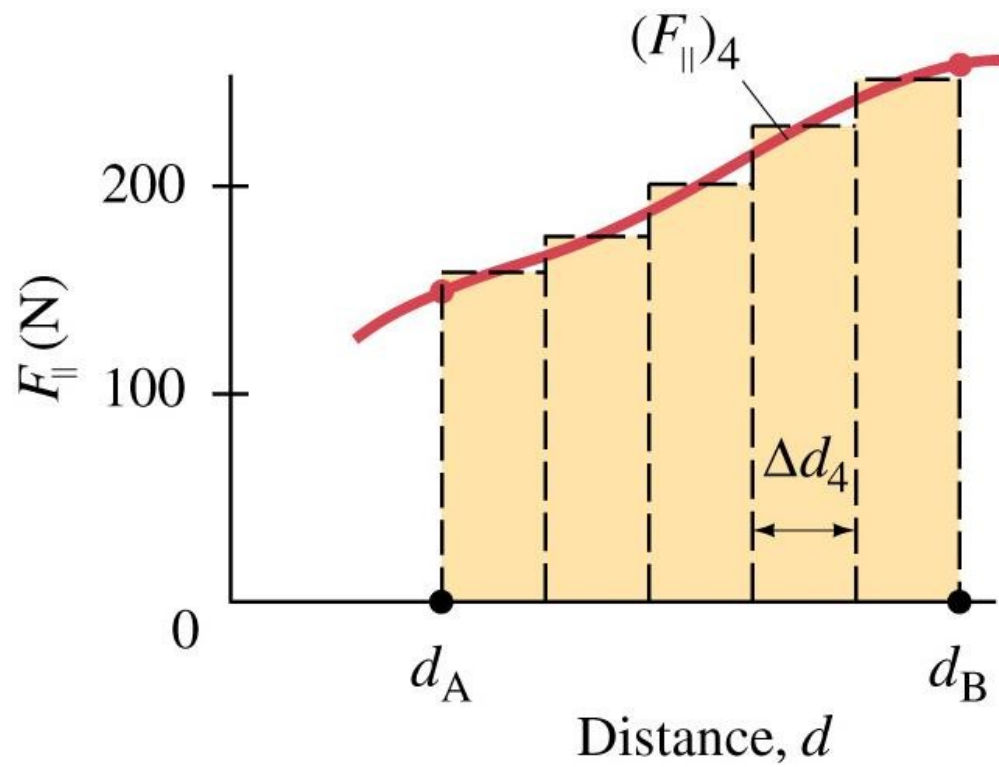
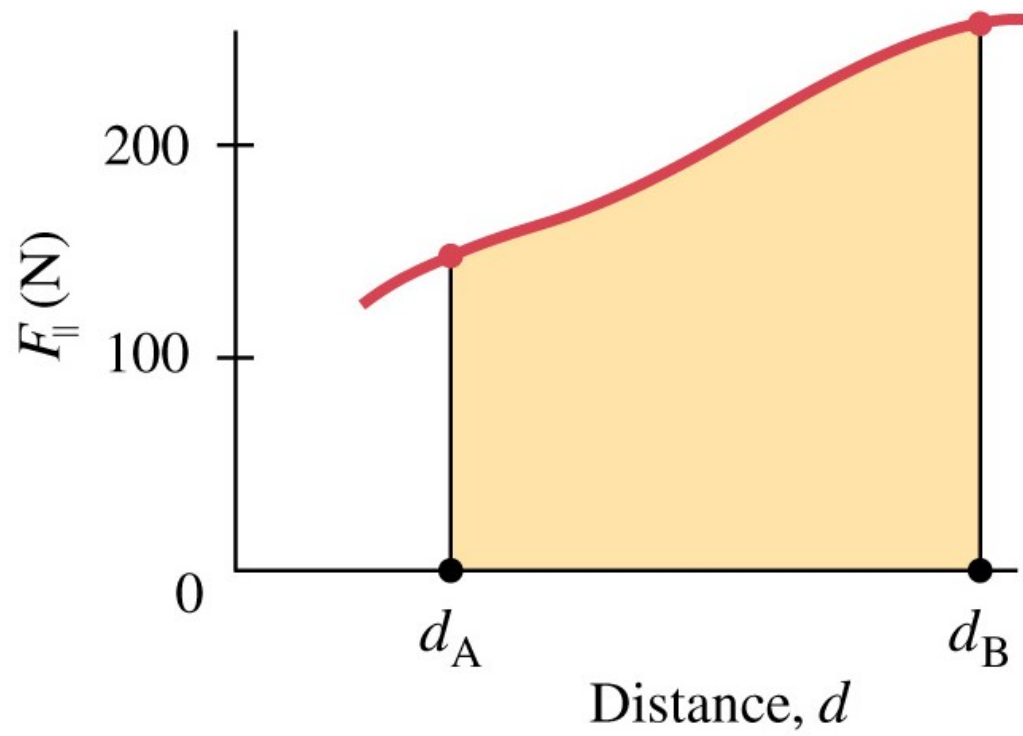


Work is a *scalar* quantity equal to the product of the magnitudes of the displacement and the component of the force in the direction of the displacement.

$$W = F \cdot x \quad \text{or} \quad W = F \cos \theta x$$

UNITS: **N.m** this unit is called a **Joule (J)**





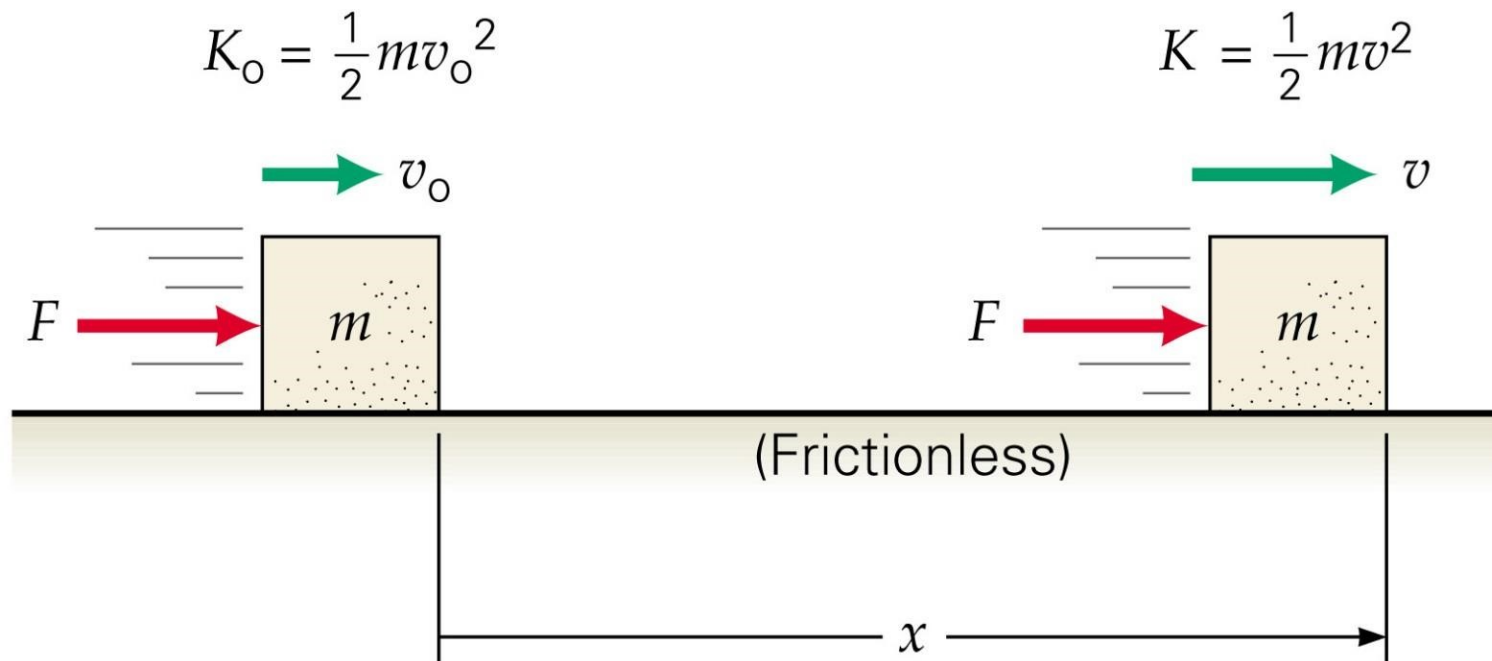
WORK-ENERGY PRINCIPLE:

The work of a resultant external force on a body is equal to the change in kinetic energy of the body.

$$W = \Delta K$$

Units: Joules (J)

$$W = K - K_0 = \Delta K$$



$$W = Fx$$

In mechanics we are concerned with **two** kinds of energy:

KINETIC ENERGY: K , energy possessed by a body by virtue of its motion.

$$K = \frac{1}{2} m v^2 \quad \text{Units: Joules (J)}$$

POTENTIAL ENERGY: PE , energy possessed by a system by virtue of position or condition.

$$PE = m g h \quad \text{Units: Joules (J)}$$

CONSERVATIVE AND NON-CONSERVATIVE FORCES

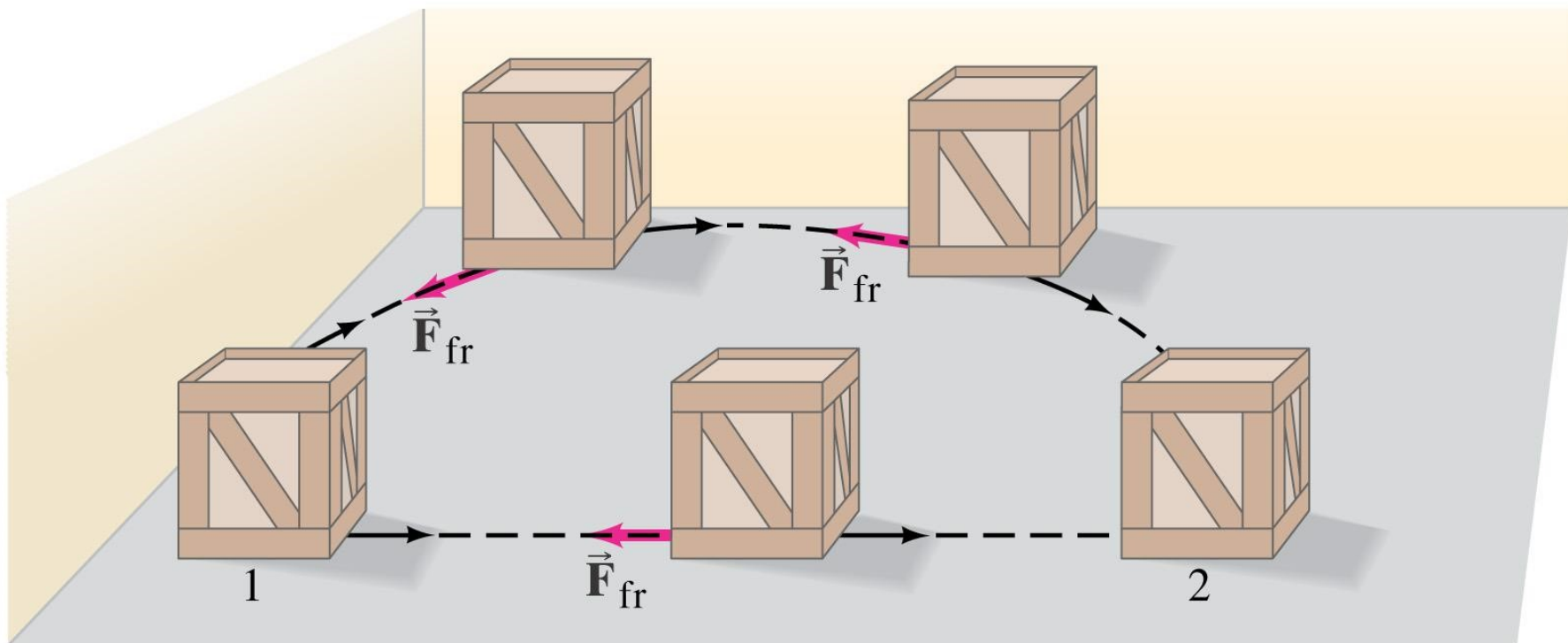
The work done by a *conservative force* depends only on the initial and final position of the object acted upon. An example of a conservative force is *gravity*.

The work done equals the change in potential energy and depends **only** on the **initial and final positions** above the ground and **NOT** on the **path** taken.

TABLE 6–1 Conservative and Nonconservative Forces

Conservative Forces	Nonconservative Forces
Gravitational	Friction
Elastic	Air resistance
Electric	Tension in cord
	Motor or rocket propulsion
	Push or pull by a person

Friction is a *non-conservative* force and the work done in moving an object against a non-conservative force **depends on the path**. For example, the work done in sliding a box of books against friction from one end of a room to the other depends on the path taken.



$$m_1 = 0.04 \text{ kg}$$
$$m_2 = 0.500 \text{ kg}$$
$$h = 0.045 \text{ m}$$

$$K_o = PE_f$$

$$PE_f = (m_1 + m_2) gh_f$$
$$= (0.04 + 0.500)(9.8)(0.045)$$
$$= 0.24 \text{ J}$$

$$K_o = PE_f = 0.24 \text{ J}$$

$$K_o = \frac{1}{2} m_T v_o^2$$

$$v_o = \sqrt{\frac{2K_o}{m_T}} = \sqrt{\frac{2(0.24)}{0.54}} = 0.94 \text{ m/s}$$

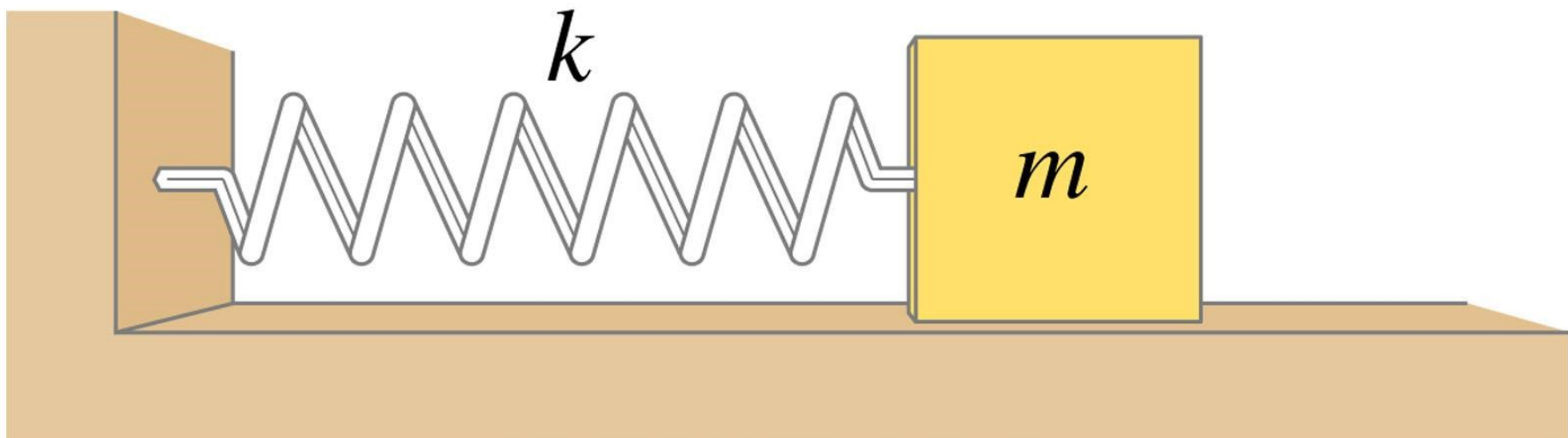
ELASTIC FORCE

The force F_s applied to a spring to stretch it or to compress it an amount x is directly proportional to x .

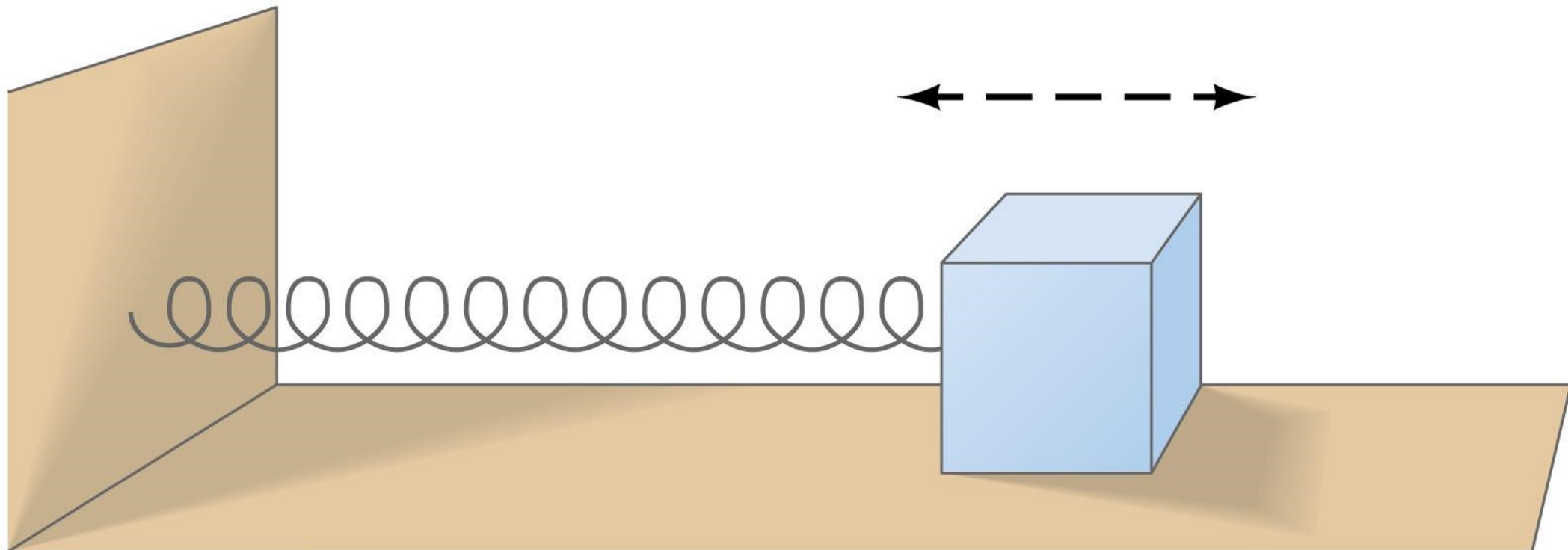
$$F_s = -k x$$

Units: Newtons (N)

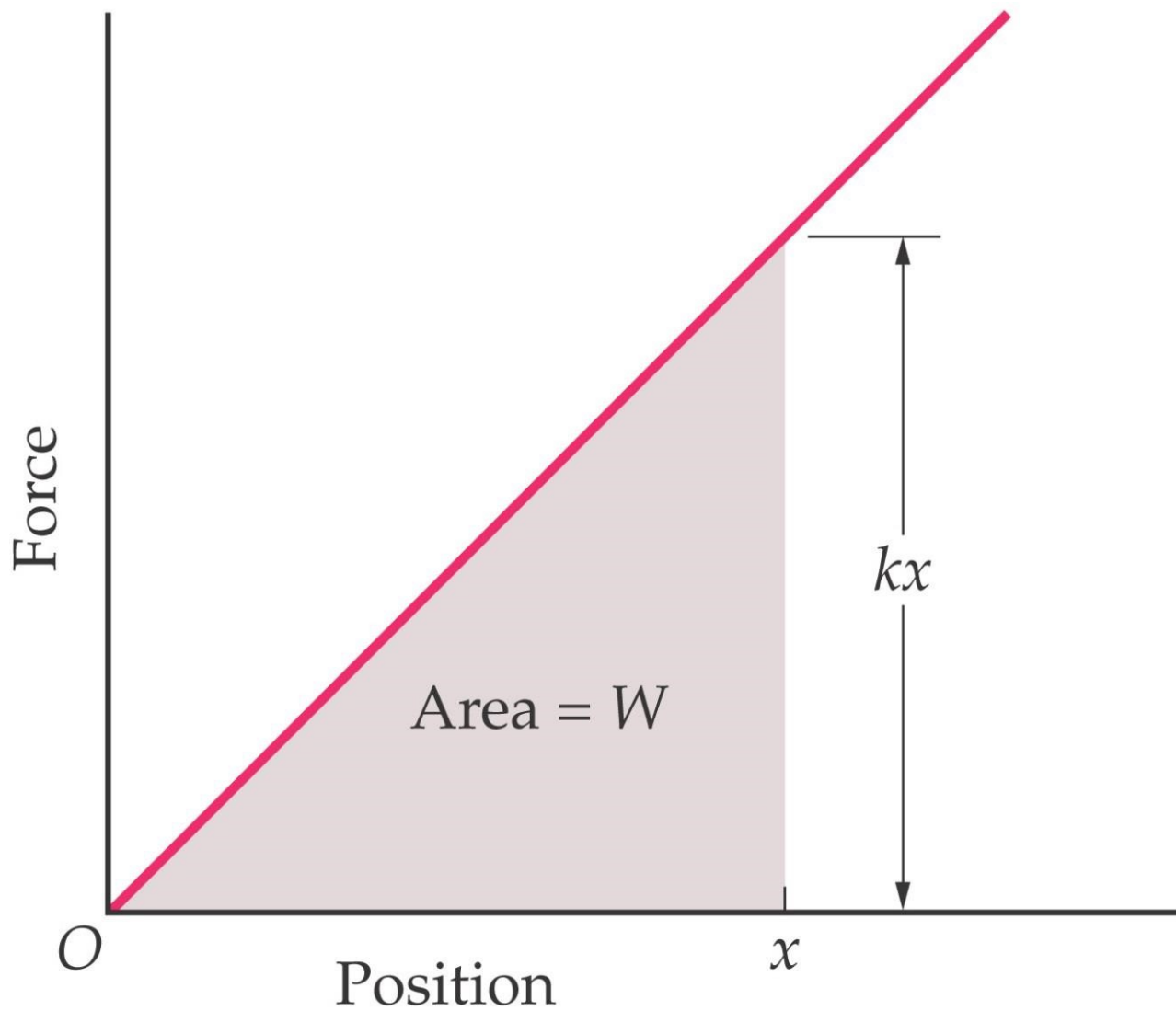
Where k is a constant called the *spring constant* and is a measure of the **stiffness** of the particular spring. The spring itself exerts a force in the *opposite* direction:



This force is sometimes called *restoring force* because the spring exerts its force in the direction opposite to the displacement. This equation is known as the *spring equation* or *Hooke's Law*.



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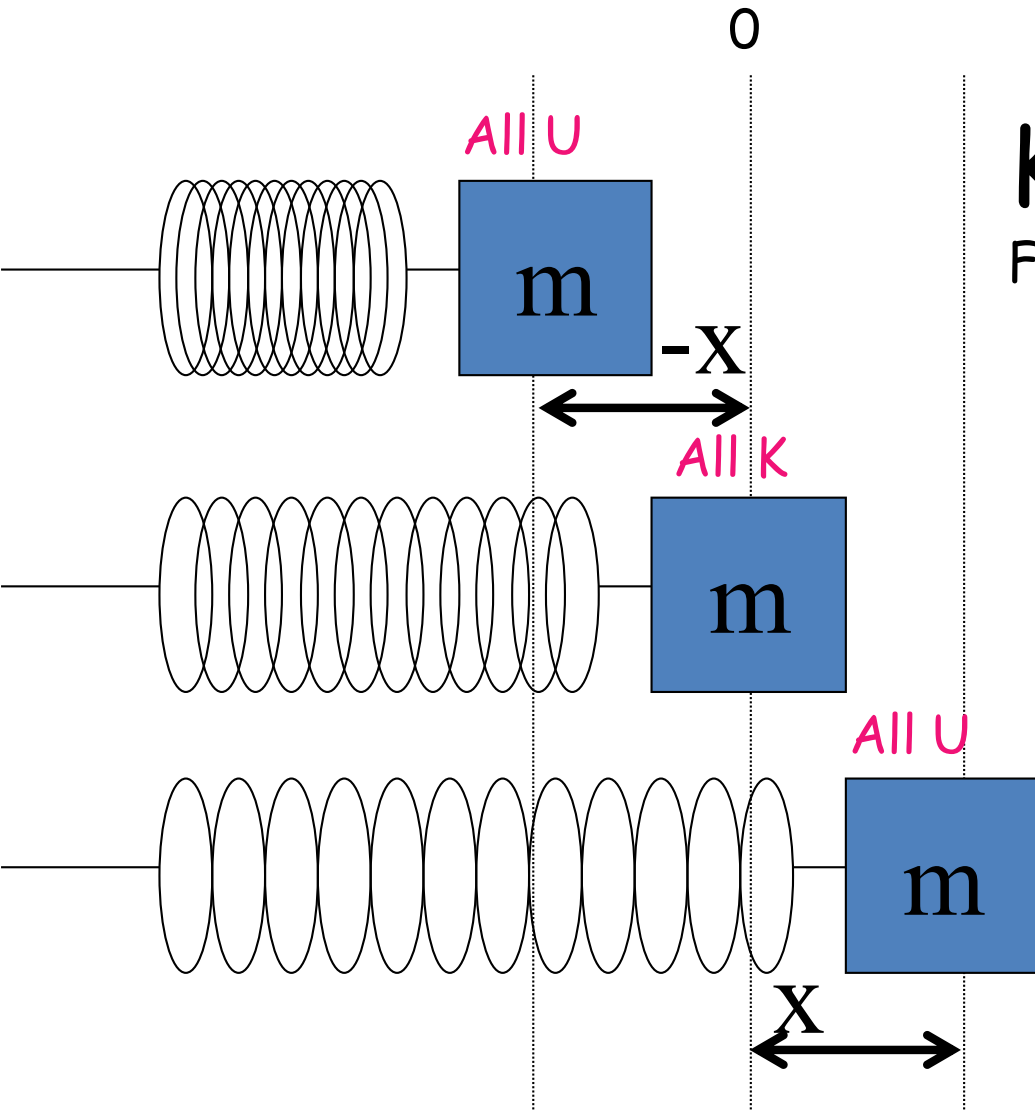


$$\begin{aligned} A &= \frac{1}{2}bh \\ &= \frac{1}{2}(x)(kx) \\ &= \frac{1}{2}kx^2 \end{aligned}$$

Springs and Energy Conservation

- Transforms energy back and forth between K and U.
- When fully stretched or extended, all energy is U.
- When passing through equilibrium, all its energy is K.
- At other points in its cycle, the energy is a mixture of U and K.

Spring Energy



$$K_1 + U_1 = K_2 + U_2 = E$$

For any two points 1 and 2

$$\frac{1}{2}kx_{\max}^2 = \frac{1}{2}mv_{\max}^2$$

For maximum and minimum displacements from equilibrium

Conservation of Energy

$$ME_0 = ME_f + E_{th}$$

$$K_0 + U_{g0} + U_{s0} = K_f + U_{gf} + U_{sf} + E_{th}$$

Equations Provided

$$K = \frac{1}{2}mv^2$$

$$\Delta E = W = F_{\parallel}d = Fd \cos \theta$$

$$\Delta U_g = mg \Delta y$$

$$|\vec{F}_s| = k|\vec{x}|$$

$$U_s = \frac{1}{2}kx^2$$

Power

- The *rate* of which work is done.
- When we run upstairs, t is small so P is big.
- When we walk upstairs, t is large so P is small.

Power

in Equation Form

- $P = W/t$

- work/time

- $P = F V$

- (force)(velocity)

Unit of Power

- SI unit for Power is the Watt.
- $1 \text{ Watt} = 1 \text{ Joule/s}$
- Named after the Scottish engineer James Watt (1776-1819) who perfected the steam engine.

POWER

Is the rate at which work is performed. $P = \text{work/time}$

$$P = \frac{W}{t} = \frac{Fr}{t} = Fv$$

UNITS: $\frac{\text{J}}{\text{S}} = \text{W} = \text{Watt}$

The difference between walking and running up these stairs is **power**.

The change in gravitational potential energy is the same.



5.6 A 1100-kg car starting from rest, accelerates for 5.0 s. The magnitude of the acceleration is 4.6 m/s^2 . What power must the motor produce to cause this acceleration?

$$m = 1100 \text{ kg}$$

$$v_o = 0 \text{ m/s}$$

$$t = 5 \text{ s}$$

$$a = 4.6 \text{ m/s}^2$$

$$F = ma$$

$$= (1100)(4.6)$$

$$= 5060 \text{ N}$$

$$v_f = v_o + at$$

$$= 0 + 4.6 (5)$$

$$= 23 \text{ m/s}$$

The average velocity is: $23/2 = 11.5 \text{ m/s}$

$$P = Fv$$

$$= (5060)(11.5)$$

$$= 5.82 \times 10^4 \text{ W}$$

Equations Provided

$$P = \frac{\Delta E}{\Delta t}$$

Momentum

- Inertia in motion

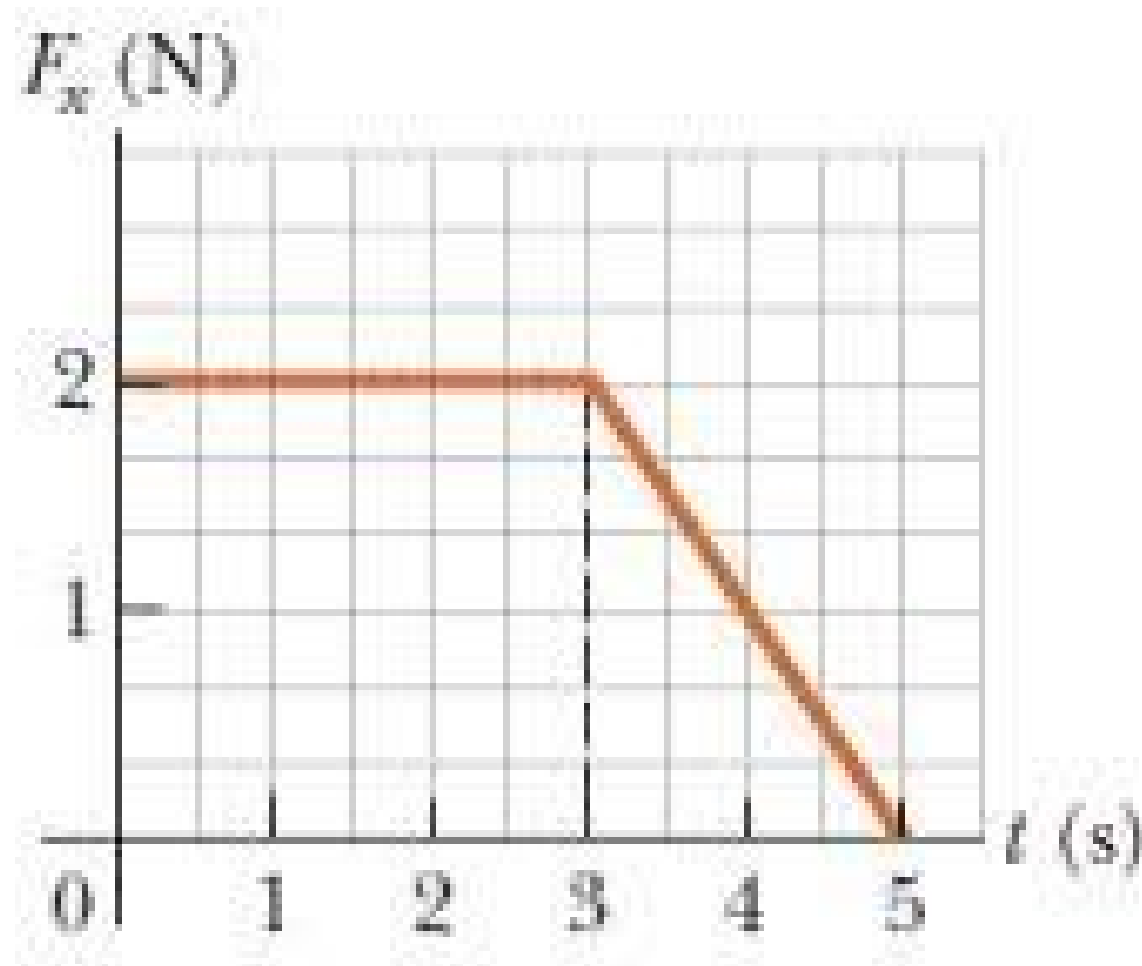
$$p = mv$$

Impulse

- Change in momentum

$$J = \Delta p = mv_f - mv_0 = Ft$$

Impulse Graphically



Conservation of Momentum

- Momentum is always conserved in all collisions
 - Newton's 3rd law application!

Conservation of Momentum

- For a closed system, i.e., no outside forces

$$p_0 = p_f$$

- For 2-D collisions, momentum is conserved in each direction

Collisions

- Elastic
 - Both momentum & energy are conserved
 - No compression or deformation
- Inelastic
 - Only momentum is conserved
 - Energy lost to deformation
 - Same final velocity

Equations Provided

$$\vec{p} = m\vec{v}$$

$$\Delta\vec{p} = \vec{F} \Delta t$$