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AP Physics 1: Review Packet 03
Problem 1: For each case, draw and label the forces (not components) acting on the object. Each arrow must start on the white dot and be straight. Then write one or more equations relating the forces on the object. Finally, rank the three forces in the blanks. Acceptable labels are $F_{W}$ (or $F_{g}$ or $m g$ ), $F_{N}, F_{f}, F_{T}$, and $F_{\text {applied }}$.
(a)

Car slows down (3 forces)

> (b)

Child has a constant speed (3
 forces)
(c)

Box moves with constant speed (4
 forces)

## (d)

Block held at rest against wall (4 forces)
(e)

A man and bicycle go over a hill at constant speed (2 forces)
(f)

The satellite orbits the Earth (1 force)

Net Force Equation: $\qquad$
Balanced Forces Equation: $\qquad$
Rank the forces: $\qquad$ $=$ $\qquad$ $>$ $\qquad$
Balanced Forces Equation: $\qquad$
Balanced Forces Equation: $\qquad$
Rank the forces: $\qquad$ $>$ $\qquad$ $>$ $\qquad$

Balanced Forces Equation: $\qquad$
Balanced Forces Equation: $\qquad$
Rank the forces: $\qquad$ $>$ $\qquad$ $>$ $\qquad$ $>$ $\qquad$

Balanced Forces Equation: $\qquad$
Balanced Forces Equation: $\qquad$
Rank the forces: $\qquad$ $=$ $\qquad$ $>$ $\qquad$ $=$ $\qquad$

Net Force Equation:
(This net force equation must use $m v^{2} / r$ )
Rank the forces: $\qquad$ $>$ $\qquad$

Net Force Equation:
(This net force equation must use $m v^{2} / r$ )

Problem 2: Newton's Third Law is also known as the Law of Action and Reaction. The law says "when $A$ pushes $B, B$ pushes on $A$ with the same amount of force but in the opposite direction." A common misconception is that "action" is "cause" and "reaction" is "effect". But it turns out that "action" is a "cause" and "reaction" is another "cause", each having its own effect.

Example: A child jumps and lands on a trampoline.
Not action and reaction: As the child lands on the trampoline, the child pushes down on the trampoline and This IS"action", because it is a cause. $\underbrace{\text { the trampoline bends downward }}$.

This is action and reaction:

|  | Action | Reaction |
| :---: | :--- | :--- |
| Cause | A child exerts a downward force on the <br> trampoline. | The trampoline exerts an upward force on the <br> child. |
| Effect | The trampoline bows downward. | The child's downward motion stops (or <br> reverses). |

Now you try. Make sure your action has a thing doing the forcing, a thing being forced, and a direction.
(a) A horse-and-wagon are initially at rest. The horse begins to accelerate by walking forward.


|  | Action | Reaction |
| :---: | :--- | :--- |
| Cause | The horse... | The wagon... |
| Effect | The wagon... | The horse... |

(b) A heavy car collides with a light car. The cars don't stick together.

|  | Action | Reaction |
| :---: | :--- | :--- |
| Cause | The heavy car... | The light car... |
| Effect | The light car... |  |

(c) A helicopter hovers over the ground. The grass on the ground lies flat due to the airflow under the helicopter.

| Cause | The helicopter... | The air... |
| :---: | :--- | :--- |
| Effect | The air... |  |

Problem 3: Provide written answers and explanations to the following questions.
(a) A spring is attached to the ceiling of an elevator, and a block of mass $M$ is suspended from the spring. In Case A, the elevator moves upward with a constant speed of $5 \mathrm{~m} / \mathrm{s}$. In Case B, the elevator moves downward with a constant speed of $10 \mathrm{~m} / \mathrm{s}$. Will the spring be stretched more in Case A, Case B, or is the stretch the same in both cases? Explain your reasoning.

(b) A loaded barrel is attached to a rope that passes around an overhead pulley and is tied to a ring on the floor. Linda, a construction worker, plans to untie the rope from the ring, pull on the barrel to lift it one meter higher, than retie the rope. Linda's mass is 80 kg , she is capable of lifting twice her weight, and the loaded barrel has a mass of 120 kg . Explain what is wrong with Linda's plan.

(c) Graphs are shown of the velocity vs. time of two identical train engines on a straight track. A positive velocity represents eastward travel. Both graphs have the same scales. On each graph, time $t=2 \mathrm{~s}$ is indicated with a dot.

A student makes the following observation: "I think that B has the greater net force acting on the engine at time $t=2 \mathrm{sec}$ because the net force on A is zero at that time." What is wrong with the student's statement? What would the correct statement be?


(d) A person using a rope pulls a heavy slab across a rough horizontal surface at constant speed. The person's applied tension force is $T$, the object's weight is $W$, the normal force is $N$, and the frictional force is $f$. A student observes this situation and states, "I think that $T=f$ and that $W=N$. Because $f=\mu N$ and $\mu<$ 1 , the correct ranking of forces must be $W=N>T=f$." Explain what is wrong and what is right about the student's observation. Then write a completely correct sentence relating all of the forces.

(e) A light rope connects a 5 kg block to a 2 kg hanger. The 5 kg block is on a rough horizontal surface. Someone gives the 5 kg block a sharp push to the right. The free-body diagrams shown indicate the forces after the push. Four students argue over the force diagrams.

A: The 2 kg FBD is wrong. The forces should have the same magnitude.


B: The problem with the 2 kg FBD is that the upward force should be stronger since the 2 kg moves up.
C: The 2 kg is fine but the 5 kg FBD has friction in the wrong direction.
Which student is correct? Explain why and correct the other statements.


## Forces and Newton's Laws Review

IMPORTANT QUANTITIES

| Name | Symbol | Units | Basic Equation |
| :---: | :---: | :---: | :---: |
| Force | $\mathbf{F}$ | N | $\mathbf{F}=m \mathbf{a}$ |
| Tension <br> Force | $\mathbf{F}_{\mathbf{T}}$ | N | None |
| Weight <br> Force | $\mathbf{F}_{\mathbf{w}}$ | N | $\mathbf{F}_{W}=m \mathbf{g}$ |
| Mass | $m$ | kg | None |
| Spring <br> Constant | $k$ | $\mathrm{~N} / \mathrm{m}$ | None |


| Name | Symbol | Units | Basic Equation |
| :---: | :---: | :---: | :---: |
| Normal <br> Force | $\mathbf{F}_{\mathbf{N}}$ | N | None |
| Friction <br> Force | $\mathbf{F}_{\mathbf{f}}$ | N | $F_{f}=\mu F_{N}$ |
| Spring <br> Force | $\mathbf{F}_{\mathbf{S}}$ | N | $\mathbf{F}_{S}=-k \mathbf{x}$ |
| Coefficient <br> of Friction | $\mu$ | None | None |

## IMPORTANT EQUATIONS

| Name | Equation | Given? | Notes |
| :--- | :--- | :--- | :--- |
| Newton's Second Law <br> (The most important <br> equation in all of physics!) | $\sum \mathbf{F}=m \mathbf{a}$ | Yes | For a single force, $\mathbf{F}=m \mathbf{a}$. However, for <br> several forces, it is the vector sum of all <br> forces equal mass times acceleration. |
| Newton's Second Law in <br> terms of components. | $\sum F_{x}=m a_{x}$ | No | If you have a problem taking place in 2D, <br> then you need to create a sum-of-all forces <br> equation for the components in each <br> individual dimension. |
| Perpendicular Component <br> of Weight on an Inclined <br> Plane | $F_{\perp}=m g \cos \theta$ | No | Usually equal to the normal force on an <br> object on an inclined plane. |
| Parallel Component of <br> Weight on an Inclined <br> Plane | $F_{\\|}=m g \sin \theta$ | No | Usually equal to the force "down the <br> plane" of an object on an inclined plane. |

## IMPORTANT GRAPHS

| Name | Graph (Shape) | Notes |  |
| :---: | :---: | :--- | :--- |
| Force vs. Acceleration <br> (for a constant mass) |  | Slope of $F$ vs. $a$ is mass. <br> Acceleration vs. Mass <br> (for a constant force) |  |

## IMPORTANT CONCEPTS

- Newton's First Law: If the net force on an object is zero (all forces balance), it will move with constant velocity in a straight line. Likewise, if an object travels with constant velocity in a straight line, the net force on the object is zero. Note that an object can be in motion even if it has no net force.
- Newton's Third Law: If object $A$ exerts a force on object $B$, then object $B$ must exert an equal force (but opposite in direction) on $A$. Note that action-reaction pairs are always on different objects (they always try to trick you into saying otherwise on the exam). Note also that, since they are on different objects, actionreaction pairs cannot cancel out.
- Weight force is always directed down.
- Only a surface can exert normal force. If there is no surface in the problem, there is no normal force. The normal force is perpendicular (normal) to the surface.
- Only a rope or string can exert tension force. If there is no rope or string in the problem, there is no tension force.
- Normal and tension forces have no basic equations. They can only be found by setting up a statement of Newton's Second Law, and then solving for them.
- A rope exerts the same tension force at both ends, even if it is set through a pulley.
- A scale does not measure mass or weight. It measures the normal force it exerts.
- The negative sign in the spring-force equation only represents that the spring force is always opposite to the displacement of the spring.
- Friction is always parallel to the plane, directed to oppose relative motion. This does not necessarily mean that it is in the opposite direction as velocity. A box in the back of a pick-up truck has friction that prevents it from sliding off of the truck, but that friction is in the same direction as the velocity of the truck.
- Two types of friction: Static friction acts when the object is not sliding on the surface. Kinetic friction acts when the object is sliding on the surface. Both types of friction have separate coefficients of friction, often labeled $\mu_{\mathrm{s}}$ and $\mu_{\mathrm{k}}$. Note that $0<\mu_{\mathrm{k}}<\mu_{\mathrm{s}}<1$.
- MAJOR NOTE ON FRICTION: The force of friction is $F_{f}=\mu F_{N}$. But for static friction, the friction force could be less than this! This formula only gives the maximum possible static friction!


## Big concept: Use forces you are asked to solve for a force or find an object's acceleration.

When dealing with forces in two dimensions, split any force into components that makes a odd angle with the acceleration vector:

- All forces and components perpendicular to the acceleration balance (add to zero).
- All forces and components parallel to the acceleration add to mass $\times$ acceleration.


